THE TRANSIT LIGHT CURVE PROJECT. VII. THE NOT-SO-BLOATED EXOPLANET HAT-P-1b


Abstract

We present photometry of the G0 star HAT-P-1 during six transits of its close-in giant planet, and we refine the estimates of the system parameters. Relative to Jupiter’s properties, HAT-P-1b is 1.20 ± 0.05 times larger, and its surface gravity is 2.7 ± 0.2 times weaker. Although it remains the case that HAT-P-1b is among the least dense of the known sample of transiting exoplanets, its properties are in accord with previously published models of strongly irradiated, coreless, solar-composition giant planets. The times of the transits have a typical accuracy of 1 minute and do not depart significantly from a constant period.

Key words: planetary systems — stars: individual (HAT-P-1, ADS 16402B)

Online material: machine-readable table

1. INTRODUCTION

More than 12 years have passed since the surprising discovery of “hot Jupiters,” giant planets around Sun-like stars with orbital periods smaller than ~10 days (Mayor & Queloz 1995; Butler et al. 1997). These objects, of which about 50 are known (see, e.g., Butler et al. 2006), probably formed at larger orbital distances and migrated inward through processes that are not yet fully understood. Hot Jupiters are also interesting because they are more likely to transit their parent stars than more distant planets. Transits are highly prized because they permit the determination of the planetary radius and mass (Henry et al. 2000; Charbonneau et al. 2000), the infrared planetary spectrum (Richardson et al. 2007; Grillmair et al. 2007) and longitudinal brightness profile (Knutson et al. 2007b), the stellar obliquity (Winn et al. 2007a), and much more. This helps to explain why so many groups around the world are conducting wide-field photometric surveys for planetary transits. Over a dozen cases of transiting exoplanets have been identified in this manner, with the rest having been found as a by-product of Doppler planet surveys (see Charbonneau et al. 2007 for a recent review).

Recently, the Hungarian-made Automated Telescope Network (HATNet) announced the discovery of HAT-P-1b, a giant planet that orbits one member of a G0/G0 stellar binary (Bakos et al. 2007). This planet is notable for being among the largest and least dense of all the planets for which such measurements have been made—both inside and outside the solar system—and is therefore an interesting test case for models of planetary atmospheres and interiors.

However, while the data presented by Bakos et al. (2007) were certainly good enough to clinch the case for planethood and to provide useful estimates of the system parameters, it is possible and desirable to improve the accuracy of those parameters with repeated, high-precision, ground-based transit photometry. This is one goal of our Transit Light Curve (TLC) Project, which has been described at greater length elsewhere (see, e.g., Holman et al. 2006; Winn et al. 2007b).

This paper presents our results for the HAT-P-1 system. The next section describes the observations. In § 3 we describe the parametric model that was fitted to the data, and in § 4 we present the results for the planetary, stellar, and orbital parameters, as well as the transit times. At the end of this paper we discuss the significance of the refined radius measurement.

2. OBSERVATIONS AND DATA REDUCTION

Our observations took place in late 2006, using telescopes at three different observatories. We observed six distinct transits and produced seven independent light curves.

We observed the transits of UT 2006 September 18, September 27, and October 6 with the 1.2 m telescope at the Fred L. Whipple Observatory (FLWO) on Mount Hopkins, Arizona. We used the 40962 KeplerCam CCD, which has a 23.1 23.1 field of view. We employed 2 2 binning, giving a scale of 0.68” per binned pixel, a readout and setup time of 11 s, and a typical read-out noise of 7 e per binned pixel. We used a Sloan z filter in order to minimize the effect of atmospheric extinction on the relative photometry and the effects of stellar limb darkening on the transit light curve. We kept the image registration as constant as possible. We also obtained dome-flat and bias exposures at the beginning and the end of each night. On September 18 the sky conditions were photometric and the seeing varied from 1.7 to 2.1. We used an exposure time of 15 s. The night of September 27 began with patchy clouds and large transparency variations, but the rest of the night was clear. The seeing varied between 1.7 and 2.4, and we again used an exposure time of 15 s. Most of October 6 was lost to clouds, although we did manage to observe the egress in 1.8 seeing, using an exposure time of 10 s.
We observed the transits of UT 2006 September 1, September 10, and September 18 using the Nickel 1 m telescope at Lick Observatory on Mount Hamilton, California. The only night when a complete transit could be observed was September 18. We used the Dewar No. 2 direct imaging detector, which is a 2048$^2$ Lawrence Labs CCD with a 6.1′ × 6.1′ field of view. For our observations we used 2 × 2 binning (0.36′′ per binned pixel) and read out only a 1450 × 500 pixel subregion of the chip to decrease the readout time. Setup and readout time took about 10 s per exposure, with a typical read noise of 11.8 e$^-$ per binned pixel. We observed through a “Gunn Z” filter (Pinfield et al. 1997). To draw out the exposure time and to spread the light from stars over more pixels, we defocused the telescope until the stellar images had a full width at half-maximum (FWHM) of about 6 pixels. The exposure time ranged from 10 to 40 s, depending on seeing and transparency. All nights were fairly clear, with 1.0′′–1.5′′ seeing. On September 18, near the transit midpoint, the star passed within a few degrees of the zenith, and autoguiding failed. The data from that time period were excised.

We observed the transits of UT 2006 September 14, November 20, and November 29 using the 1 m telescope at Wise Observatory in Israel. We used a Tektronix 1024$^2$ back-illuminated CCD detector, giving a pixel scale of 0.7′′ and a field of view of 11.9′ × 11.9′. We observed through a Johnson J′ filter, the reddest optical band available on the camera. On September 14 and November 20, weather conditions were poor, with patchy clouds. Because the data from those nights were of much lower quality than the other data presented in this paper, in what follows we describe only the data from 2006 November 29. The night was not photometric, and the measured stellar fluxes varied by about 20% over the course of the night. The exposure time was 15 s, and the FWHM of the stellar images was about 1.8′′ (2.5 pixels).

We used standard IRAF9 procedures for overscan correction, trimming, bias subtraction, and flat-field division. We performed aperture photometry of HAT-P-1 and four to eight nearby stars, depending on the telescope. The sum of the fluxes of the comparison stars was taken to be the comparison signal. The light curve of HAT-P-1 was divided by the comparison signal and then divided by a constant to give a unit mean flux outside of transit.

We then assessed residual systematic effects by examining the correlation between the out-of-transit flux and some external variables: time, air mass, the shape parameters of the stellar images, and the pixel position of HAT-P-1. For the FLWO data, the flux variations were most strongly correlated with air mass; for the Lick data, the strongest correlations were with the pixel coordinates, especially the row number; and for the Wise data, there were correlations with both air mass and the FWHM of the stellar images (which were themselves strongly correlated). We solved for the zero point and slope of the strongest correlation as part of the fitting process described in the next section.

Figures 1 and 2 show the final light curves. The bottom panel of Figure 2 is a phase-averaged composite of the three best light curves. Table 1 provides the final photometry, after correction of the residual systematic effects.

3. DETERMINATION OF SYSTEM PARAMETERS

To estimate the planetary, stellar, and orbital parameters and the times of transit, we fitted a parameterized model to the photometric data. The model and the fitting method are similar to those described in previous TLC papers (see, e.g., Holman et al. 2006; Winn et al. 2007b). The model is based on a circular orbit$^{10}$ of a star (with mass $M_*$ and radius $R_*$) and a planet ($M_p$, $R_p$) about their center of mass, inclined by an angle $i$ relative to the sky plane. Because one of our goals was to measure the individual transit times, we allowed each transit to have an independent value of $T_c$, the transit midpoint, rather than forcing them to be separated by regular intervals.

The most natural parameters one would like to know are $R_*$ and $R_p$, but these parameters cannot be determined independently from the data. The relevant parameters that can be determined are $R_p/R_*$ and $R_*/a$, where $a$ is the orbital semimajor axis. The only property intrinsic to the star that follows directly from the photometric data is the mean stellar density (see, e.g., Seager & Mallén-Ornelas 2003):

$$\rho_* \equiv \frac{M_*}{4/3\pi R_*^3} = \frac{3\pi}{G}\left(\frac{R_*}{a}\right)^{-3}.$$  

In order to determine $R_*$ and $R_p$ independently, one must have an external estimate of $R_*$, $M_*$, or some combination of $R_*$ and $M_*$. 

$^9$ The Image Reduction and Analysis Facility (IRAF) is distributed by the National Optical Astronomy Observatory, which is operated by the Association of Universities for Research in Astronomy, Inc., under cooperative agreement with the National Science Foundation.

$^{10}$ This is our default assumption in the absence of clear evidence for an eccentric orbit. Although the orbital fit of Bakos et al. (2007) yielded the formal result $e = 0.09 \pm 0.02$, we regard this as only suggestive. The orbital eccentricity is subject to a positive bias in such fits, because $e$ is positive definite, and experience has shown that indications of a small nonzero eccentricity usually disappear after more velocity data are obtained.
Mₚ besides ρ. This external estimate may come from supplementary observations, such as the stellar angular diameter and parallax (see, e.g., Baines et al. 2007), or from the interpretation of the stellar spectrum with theoretical model atmospheres and evolutionary tracks. The comparison with theory can be facilitated by the estimate of ρ, that comes from the photometry, because the photometric estimate is often more precise than the traditional spectroscopic gravity indicator, log g (see, e.g., Pont et al. 2007; Sozzetti et al. 2007; Holman et al. 2007).

Our approach is to fix Mₚ at a fiducial value and then determine Rₛ and Rₚ from the light curve. The scaling relations Rₛ ∝ Mᵢ₁/3 and Rₚ ∝ Mᵦ₁/3 may then be used to estimate the resulting systematic error due to the uncertainty in the stellar mass. This also makes it easy to update the determinations of Rₛ and Rₚ as our understanding of the host star is revised through further observations and analyses. In this case, we assume Mₛ = 1.12 M⊙, based on the analysis by Bakos et al. (2007) in which the spectroscopic properties of both members of the stellar binary were fitted simultaneously to theoretical isochrones. The uncertainty in Mₛ quoted by Bakos et al. (2007) is 8%, corresponding to a systematic error of 2.7% in our determinations of Rₛ and Rₚ. The planetary mass Mₚ hardly affects the photometric model at all, since Mₚ ≪ Mₛ, but for completeness we use the previously determined value Mₚ = 0.53Mₖ₁₉₉₉₉.

To calculate the relative flux as a function of the projected separation of the planet and the star, we employed the analytic formulae of Mandel & Agol (2002) to compute the integral of the intensity over the unobscured portion of the stellar disk. We assumed the limb-darkening law to be quadratic,

\[
\frac{I_\mu}{I_1} = 1 - a(1 - \mu) - b(1 - \mu)^2,
\]

where I is the intensity and μ is the cosine of the angle between the line of sight and the normal to the stellar surface. We did not use the “small-planet” approximation. We fixed the limb-darkening coefficients at the values calculated and tabulated by Claret (2004) for observations of a star with the observed spectral properties.11

We also investigated the effects of changing the limb-darkening law and fitting for the limb-darkening parameters, as discussed below. In addition, as mentioned in the previous section, we fitted for the zero point and slope of the correlation between the measured flux and the external variable that showed the strongest correlation. For the FLWO data this variable was air mass, for Lick it was the column number, and for the Wise data it was the FWHM of the stellar images.

The fitting statistic was

\[
\chi^2 = \sum_{j=1}^{N_j} \left( \frac{f_j(\text{obs}) - f_j(\text{calc})}{\sigma_j} \right)^2,
\]

where \(f_j(\text{obs})\) is the flux observed at time \(j\), \(\sigma_j\) controls the weights of the data points, and \(f_j(\text{calc})\) is the calculated flux. As noted in the previous section, the calculated flux was the idealized flux of a transit light curve after subtracting a linear function of a specified external variable.

For the data weights \(\sigma_j\), many investigators use the calculated Poisson noise, or the observed standard deviation of the out-of-transit data. Experience has shown that these procedures usually result in underestimated uncertainties in the model parameters, because they neglect time-correlated errors (“red noise”; see, e.g., Gillon et al. 2006), which are almost always significant for ground-based data. In order to derive realistic uncertainties on the parameters, it is important for \(\sigma_j\) to take red noise into account, at least approximately.

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11 Specifically, we used the tables for ATLAS models, interpolating for \(T_{eff} = 5975\) K, log g = 4.45 cgs, log [M/H] = 0.1, and \(v_t = 2.0\) km s⁻¹. For the z band, \(a = 0.18\) and \(b = 0.34\). We also used these values for the Z band, finding that they provided a good fit. For the f band, \(a = 0.22\) and \(b = 0.34\).
We did this as follows. The most relevant timescale is ~20 minutes, the ingress or egress duration. First, we calculated \( \sigma_1 \), the standard deviation of the unbinned out-of-transit data. (The results for each light curve are given in Figs. 1 and 2.) Next, we averaged the out-of-transit data into 20 minute bins, with each bin consisting of \( N \) data points, depending on the cadence. Then we calculated the standard deviation, \( \sigma_N \). In the absence of red noise, we would observe \( \sigma_N = \sigma_1/\sqrt{N} \), but in practice \( \sigma_N \) is larger than \( \sigma_1/\sqrt{N} \) by some factor \( \beta \). Therefore, we set the data weights equal to \( \beta \sigma_1 \). The exact choice of averaging time did not matter much. In the end, we used the mean value of \( \sigma_1 \) over averaging times ranging from 15 to 25 minutes. Typically, we found \( \beta \approx 2 \), depending on the telescope and sky conditions.12

In all cases, to solve for the posteriori probability distributions of the model parameters, we used a Markov chain Monte Carlo algorithm (see, e.g., Tegmark et al. [2004] for applications to cosmological data, Ford [2005] for radial velocity data, and Holman et al. [2006] or Burke et al. [2007] for a similar approach to transit fitting). We ensured that the Gelman & Rubin (1992) \( R \)-statistic was within 0.5% of unity, a sign of good mixing and convergence. For each parameter, we took the median value of the distribution to be our best estimate and the standard deviation as the 1 \( \sigma \) uncertainty.

4. RESULTS

The results are given in Tables 2 and 3. The first of these tables gives the planetary, stellar, and orbital parameters, with the fundamental parameters \( R_\ast/M^3_\ast \), \( R_p/M^3_\ast \), and \( i \) listed first. For the parameters that depend on the choice of \( M_\ast \) (namely, \( R_p, R_p/R_\ast, \) and \( \rho_p \)), we have accounted for the systematic error due to the 8% uncertainty in \( M_\ast \). Table 3 gives the measured transit times.

### 4.1. Planetary, Stellar, and Orbital Parameters

We find the stellar radius to be \( R_\ast = 1.115 \pm 0.043 R_{\odot} \) and the planetary radius to be \( R_p = 1.203 R_{\text{Jup}} \pm 0.051 R_{\text{Jup}} \). The statistical error is comparable to the systematic error resulting from the co-variance with the stellar mass, implying that there is still some scope for improvement through additional high-precision photometry. Our value for the stellar radius agrees well with the value \( R_\ast = 1.15^{+0.10}_{-0.07} R_{\odot} \) determined by Bakos et al. (2007). Those authors estimated \( R_\ast \) from an analysis of the stellar spectrum—its effective temperature, surface gravity, and metallicity—whereas we estimated \( R_\ast \) (actually \( R_\ast/M^3_\ast \)) by fitting the transit light curves. The agreement between these different methods of determining the stellar radius is an important consistency check on both analyses. Our value for the planetary radius is 1.5 \( \sigma \) smaller than the previously determined value \( R_p = 1.36^{+0.09}_{-0.07} R_{\text{Jup}} \), where \( \sigma \) is the quadrature sum of the statistical errors of the two estimates. Thus, we have revised the planetary radius downward, and we have improved the measurement precision by a factor of 2.

We performed a number of additional optimizations to check the sensitivity of the results to the choice of limb-darkening function. We tried replacing the quadratic law with either a linear law or the four-parameter “nonlinear” law of Claret (2000). For the quadratic law, we tried replacing the ATLAS-based coefficients with the PHOENIX-based coefficients of Claret (2004). In none of these cases did the optimized value of \( R_\ast \) change by more than 0.5% relative to the value presented in Table 2. For the case of the linear law, we tried fitting for the limb-darkening coefficient rather than fixing it at the prescribed value. In that case, \( R_p \) increased by 1.8%, which is still small in comparison to the quoted error. (We found that the present data are unable to meaningfully constrain more than one limb-darkening parameter.) We conclude that the systematic error due to the choice of limb-darkening law is probably ~1%.

Also given for convenience in Table 2 are some results reproduced from Bakos et al. (2007), as well as some useful derived quantities. Among these quantities are the impact parameter \( b \), defined as \( a \cos i/R_\ast \) (where \( a \) is the semimajor axis), the radius ratio \( R_p/R_\ast \), the fractions \( a/R_\ast \) and \( a/R_p \), and the stellar mean density \( \rho_\ast \), which (as mentioned above) do not depend on our choice for \( M_\ast \). We used the previous measurement of the velocity semi-amplitude of the spectroscopic orbit, \( K_p = 60.3 \pm 2.1 \text{ m s}^{-1} \), to calculate the planetary surface gravity, which is also independent

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12 This procedure effectively increases the error bar of each measurement and results in a minimum value of \( \chi^2/N_{\text{data}} \) that is smaller than unity. It is equivalent to setting \( \sigma_1 \) at the value that produces \( \chi^2/N_{\text{data}} = 1 \) but then using \( \Delta \chi^2 = \beta^2 \) instead of \( \Delta \chi^2 = 1 \) to define the 68% confidence limit.
The fit had \( \chi^2/N_{\text{ dof}} = 1.6 \) and \( N_{\text{ dof}} = 5 \), suggesting that either the period is not exactly constant or the transit time uncertainties have been underestimated. Because one would prefer to have an ephemeris with conservative error estimates for planning future observations, we rescaled the measurement errors by \((1+2)/2\) and refitted the ephemeris, finding \( T_c(0) = 2,453,997.79258(29) \) (HJD) and \( P = 4.46543(14) \) days. The numbers in parentheses indicate the \( 1 \sigma \) uncertainty in the final two digits. Our derived period agrees with the value 4.465290(90) days determined by Bakos et al. (2007), within the respective \( 1 \sigma \) limits. Figure 3 is the \( O-C \) (observed minus calculated) diagram for the transit times.

5. SUMMARY AND DISCUSSION

We have presented new photometry of HAT-P-1b spanning the times of transit of its close-in giant planet. The photometry improves the precision with which the stellar and planetary radii are known by a factor of 2 and places the measurements on a more robust footing by determining the stellar mean density directly from the photometric data. We have also updated the transit ephemeris to help in planning future observations.

Although the revised planetary radius is somewhat lower than the previously determined value, the planet HAT-P-1b is still among the largest and least dense of the known transiting exoplanets. Its mean density \((0.376 \pm 0.031 \text{ g cm}^{-3})\) is comparable to that of the famously oversized planet HD 209458b \((0.35 \text{ g cm}^{-3}; \text{ Knutson et al. 2007a})\). A third planet with a comparably low mean density is WASP-1b \((0.36 \text{ g cm}^{-3}; \text{ Collier Cameron et al. 2007; Charbonneau et al. 2007; Shporer et al. 2007})\).

There is an extensive literature on the interpretation of exoplanetary radii, in particular on the subject of these apparently “bloated” planets. This term refers to the apparent conflict (of order 10%–20%) between the measured planetary radii and the calculated radii using simple structural models for hydrogen/helium planets of the appropriate mass, temperature, age, and degree of external heating by the parent star. Many mechanisms have been proposed to sustain hotter gaseous envelopes and therefore larger planets: the efficient delivery of heat from the star to the planetary interior (Guillot & Showman 2002; Showman & Guillot 2002), the production of internal heat by tidal interactions (Bodenheimer et al. 2003; Winn & Holman 2005), and the trapping of internal heat by enhanced atmospheric opacities (Burrows et al. 2007) or inhibited convection (Chabrier & Baraffe 2007). Only the tidal mechanisms have been specific or predictive enough to be ruled out; the obliquity tide theory of Winn & Holman (2005) did not withstand more detailed dynamical analysis (Levrad et al. 2007; Fabrycky et al. 2007), and the eccentricity tide mechanism of Bodenheimer et al. (2003) does not seem to be operative in the case for which it was invented, HD 209458b (Laughlin et al. 2005). Which (if any) of the other mechanisms contribute to the observed radii of transiting exoplanets is not yet clear.

However, for HAT-P-1b, this issue may be a red herring. We find that there is no strong conflict with structural models at this point, as long as the planet does not have a massive core of heavy elements. Burrows et al. (2007) recently computed models for many of the transiting exoplanets, in particular HAT-P-1b, taking into account the appropriate planetary mass, orbital distance, stellar luminosity, stellar spectrum, and stellar age. Assuming a planet of solar composition, an atmosphere of standard solar-composition opacity, and no dense heavy-element core, they calculated \( R_p = 1.18R_{\text{Jup}} - 1.22R_{\text{Jup}} \) over the plausible age range \( 3.5 \pm 1.0 \) Gyr. This range of calculated values for \( R_p \) comfortably overlaps the \( 1 \sigma \) range in our measured value, \( 1.203R_{\text{Jup}} \pm 0.051R_{\text{Jup}} \).

Fortney et al. (2007) have also provided theoretical estimates of exoplanetary radii over a wide range of conditions, although they are not specifically tuned for any particular cases of the known exoplanets. For a coreless H/He planet with mass \( 0.5M_{\oplus} \) orbiting a 3 Gyr old solar-luminosity star at a distance of 0.045 AU (and thereby receiving nearly the same flux as HAT-P-1, which orbits an \( \sim 1.5L_{\odot} \) star at a distance of 0.055 AU), Fortney et al. (2007) predict a planetary radius \( R_p = 1.12R_{\text{Jup}} \). This is smaller than the value computed by Burrows et al. (2007), and at least part of the reason for the difference is that Fortney et al. (2007) did not account for the “transit radius effect,” the enlarged size of the transit-measured radius relative to the \( \tau = 2/3 \) photosphere that is usually taken to be the “radius” by theoreticians. This effect amounts to a few percent in the planetary radius (see also Burrows et al. 2003). Assuming that this effect adds between 0% and 5% to the calculated radius, the difference between the calculated radius of \( R_p \) and our measured value is \( 0.5-1.6 \sigma \), i.e., not very significant.

We conclude that the present data are consistent with current models of coreless, solar-composition, strongly irradiated giant planets. Bakos et al. (2007) estimated a stellar metallicity of \( Z = 0.025 \), i.e., comparable to the Sun, and hence the inference of a small or absent core is broadly consistent with the core-metallicity
relation proposed by Guillot et al. (2006). Of course, there are many other possibilities that are also consistent with the data, such as a planet with a dense core that also has either an extra source of atmospheric opacity or an extra source of internal heat. As of now there is no way to distinguish among these possibilities.

As discussed by Burrows et al. (2007), it is becoming clear that there are many determinants of planetary radii. By considering the entire ensemble of exoplanets, one can fully appreciate the strengths and weaknesses of theoretical models and possibly obtain clues about interesting processes that may have been overlooked. This requires not only the discovery of new transiting systems but also high-precision determinations of the system parameters, such as the present study.

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